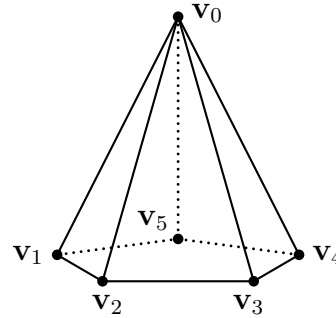


Name: *Answer Key*
 PID:

1. A five sided pyramid has vertex v_0 at its apex, and vertices v_1-v_5 around its base. For the next problems, give answers that make the triangles' front faces face **outward**. For questions (b) and (c), it will be necessary to render the base by breaking into three triangles. For this, the faces on the base will be facing *downward* in order to facing outward.



(a) Give an ordering of the vertices that will enable rendering the upper five faces of the pyramid as a single triangle fan (GL_TRIANGLE_FAN).

Answer: $v_0, v_1, v_2, v_3, v_4, v_5, v_1$

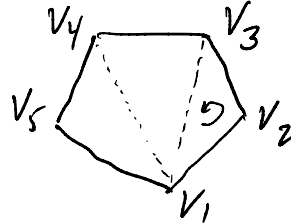
The final v_1 is needed to get the final (fifth) triangle.

It is also possible to replace the cycle v_1, \dots, v_5 with starting at another v_i

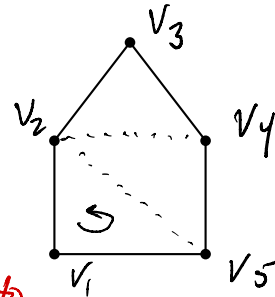
(b) Give an ordering of the vertices that will enable rendering the base of the pyramid as a single triangle fan (GL_TRIANGLE_FAN). [Hint: use one of the base vertices as the center of the triangle fan.]

Answer: v_1, v_5, v_4, v_3, v_2

(or a cyclic permutation of this)



(c) Give an ordering of the vertices that will enable rendering the upper five faces of the pyramid as a single triangle string (GL_TRIANGLE_STRIP). [Hint: It is probably useful to think of the five face vertices as being laid out in the topologically equivalent shape pictured to the right.]



Typo in problem statement: Intended to ask for rendering the base.

Answer #1: Rendering the base as a triangle strip:

v_1, v_5, v_2, v_4, v_3 (Other answers are possible.)

Answer #2: Rendering the top 5 triangles as a triangle strip with degenerate triangles:

$v_0, v_1, v_0, v_2, v_0, v_3, v_0, v_4, v_0, v_5, v_0, v_6$

or

$v_1, v_2, v_0, v_3, v_4, v_0, v_5, v_1$ but the

problem with this last answer is that last 3 triangles face the wrong way.

